

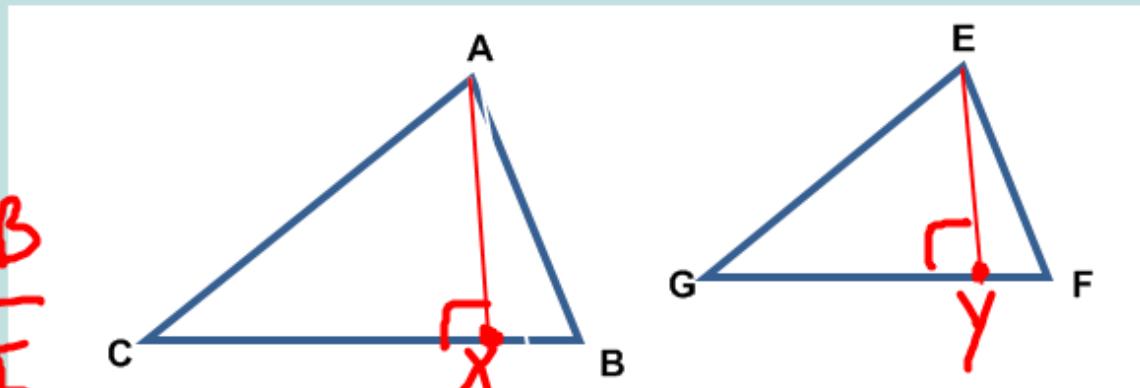
You will recognize and use proportional relationships of corresponding segments of similar triangles.

You will use the Triangle Angle Bisector Theorem

$\sim \Delta$'s have corr altitudes that
are proportional to corr sides $\triangle ABC \sim \triangle EFG$

$$\frac{AX}{EX} = \frac{AC}{EG} = \frac{AB}{EF} = \frac{CB}{GF}$$

↑
Altitudes

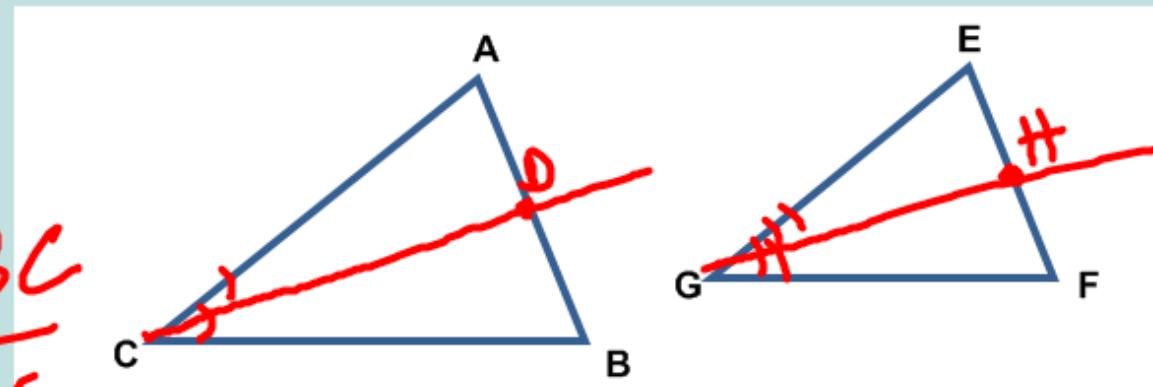


$\sim \Delta$'s have corr angle
bisectors

$$\Delta ABC \sim \Delta EFG$$

$$\frac{CD}{GH} = \frac{AC}{EG} = \frac{AB}{EF} = \frac{BC}{FG}$$

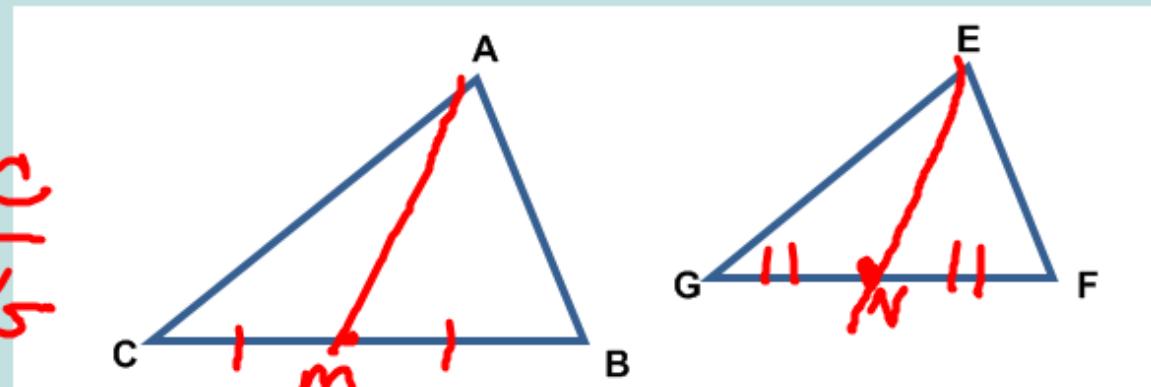
\uparrow
angle
bisectors



$\sim \Delta$'s have corr medians
prop. to corr sides

$$\frac{AM}{EN} = \frac{AB}{EF} = \frac{CB}{GF} = \frac{AC}{EG}$$

↗
Medians



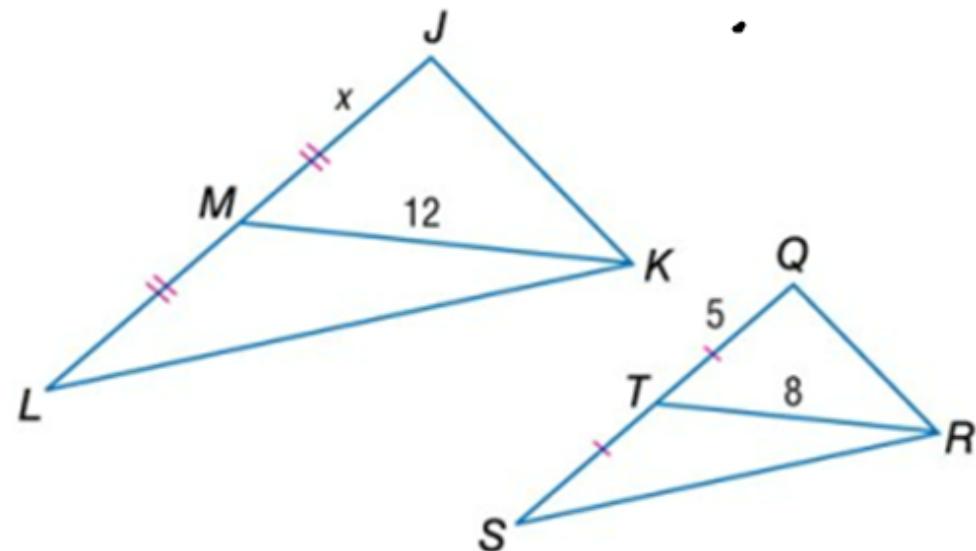
EXAMPLE 1**Use Special Segments in Similar Triangles**

In the figure,
 $\triangle LJK \sim \triangle SQR$. Find
the value of x .

$$\frac{x}{5} = \frac{12}{8}$$

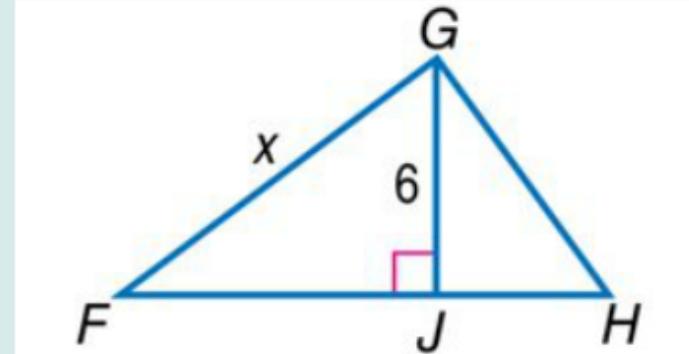
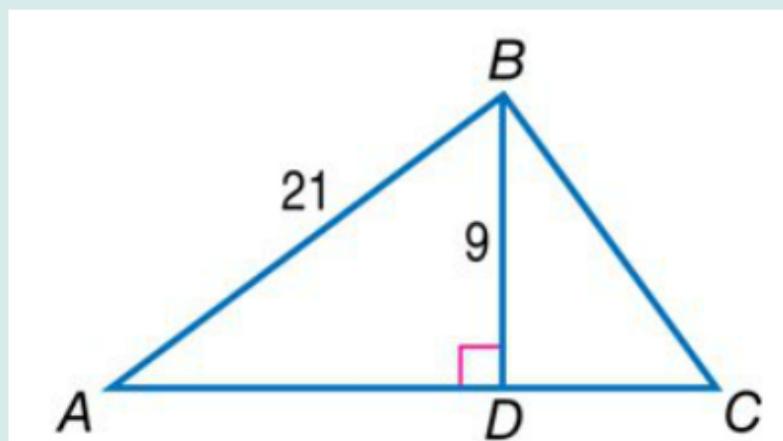
$$\frac{8x}{8} = \frac{60}{8}$$

$$x = 7.5$$



~~$$\frac{20}{10} = \frac{x}{5}$$~~

In the figure, $\Delta ABC \sim \Delta FGH$. Find the value of x .



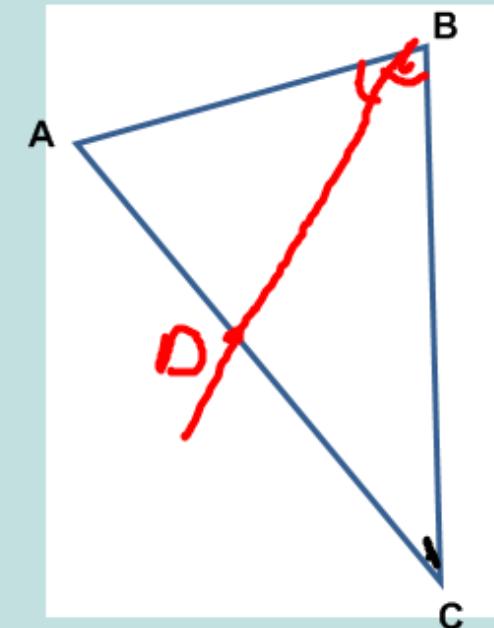
$$\frac{9}{6} = \frac{21}{x}$$

$$\frac{9x}{9} = \frac{126}{9}$$

$$x = 14$$

Triangle Angle Bisector Thm

Angle Bisector Splits the opp side into prop'l parts to the sides touching the parts



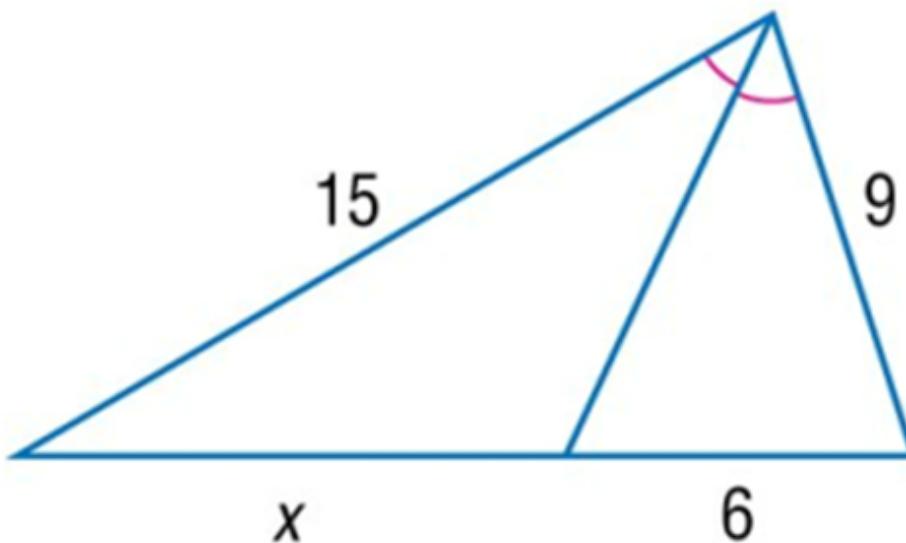
$$\frac{AD}{DC} = \frac{AB}{BC}$$

↑
Parts

sides
touching

EXAMPLE 3**Use the Triangle Angle Bisector Theorem**

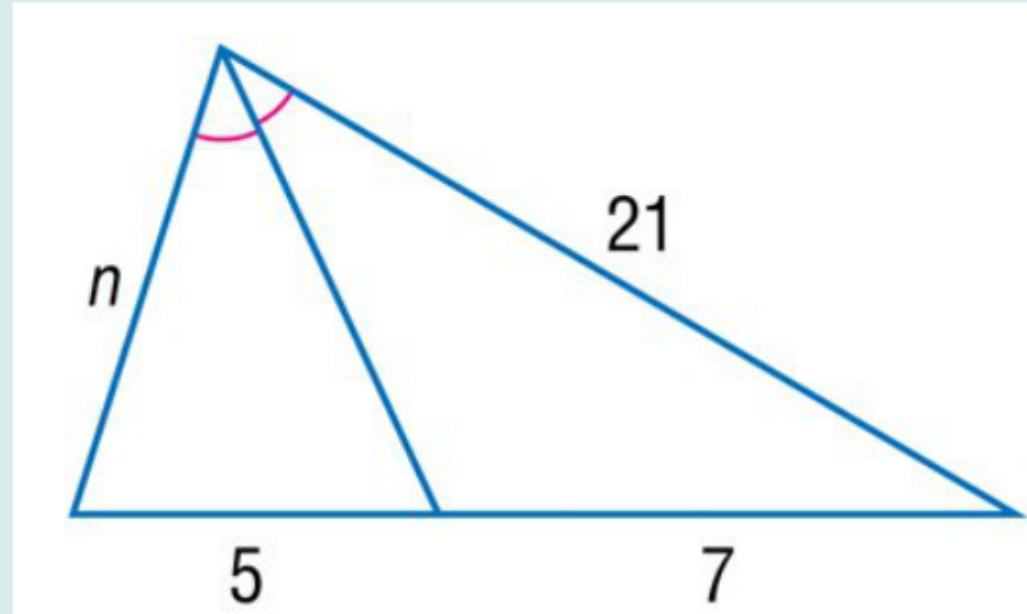
Find x .



Parts $\left\{ \frac{x}{6} = \frac{15}{9} \right\}$ sides touching

$$\frac{9x}{9} = \frac{90}{9} \quad x = 10$$

Find n .



$$\frac{n}{5} = \frac{21}{7}$$
$$7n = 105$$
$$n = 15$$